

Understanding Evaporation and Latent Heat Flux (New) Methods of Observation

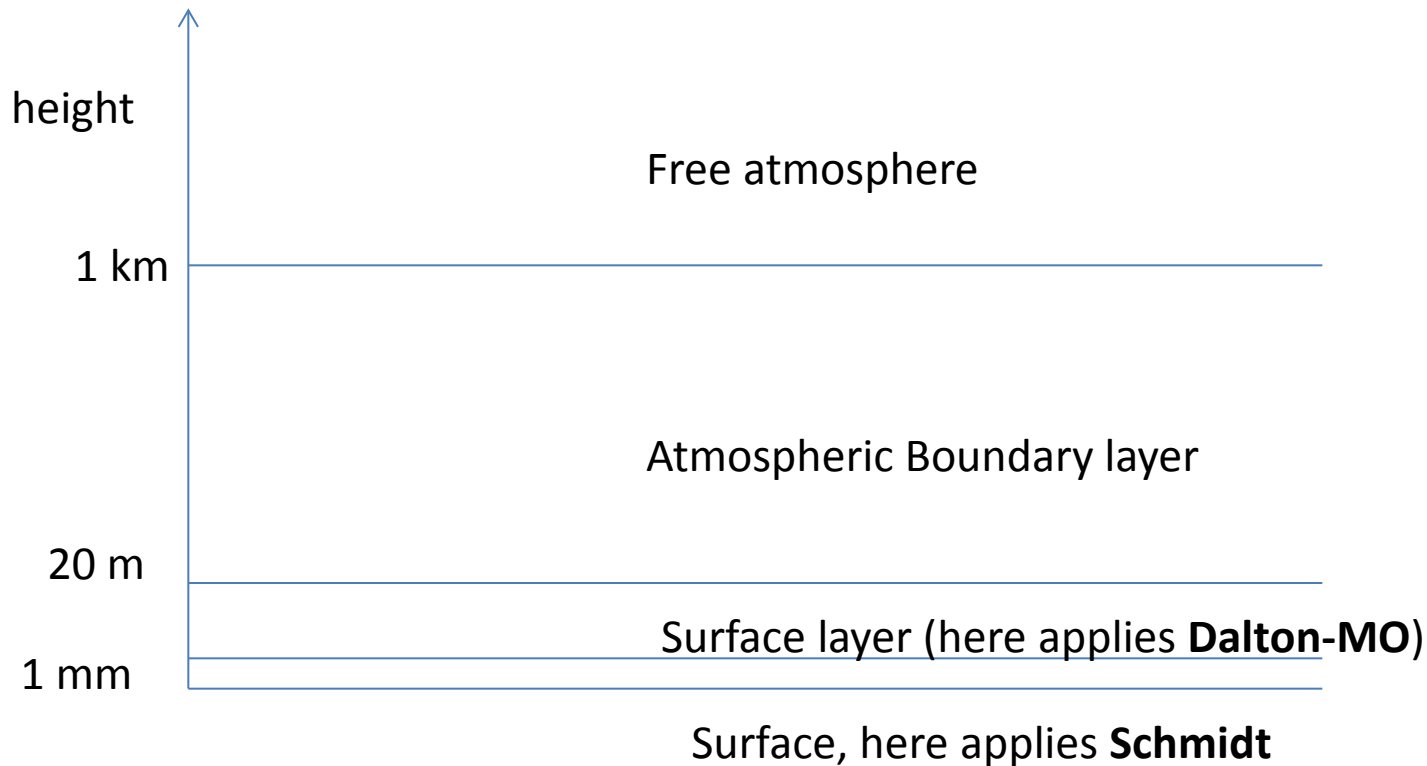
Henk A.R. de Bruin¹

Session: Meet the expert in hydrology - The mystery of evaporation

European Geosciences Union Annual Meeting, 16 April 2015

Evaporation is about

- a) Phase change at the surface: liquid into vapor (**Thermodynamics, Schmidt**)
- b) Vertical water vapor transfer in atmospheric surface layer (**Dalton-Monin-Obukhov**)

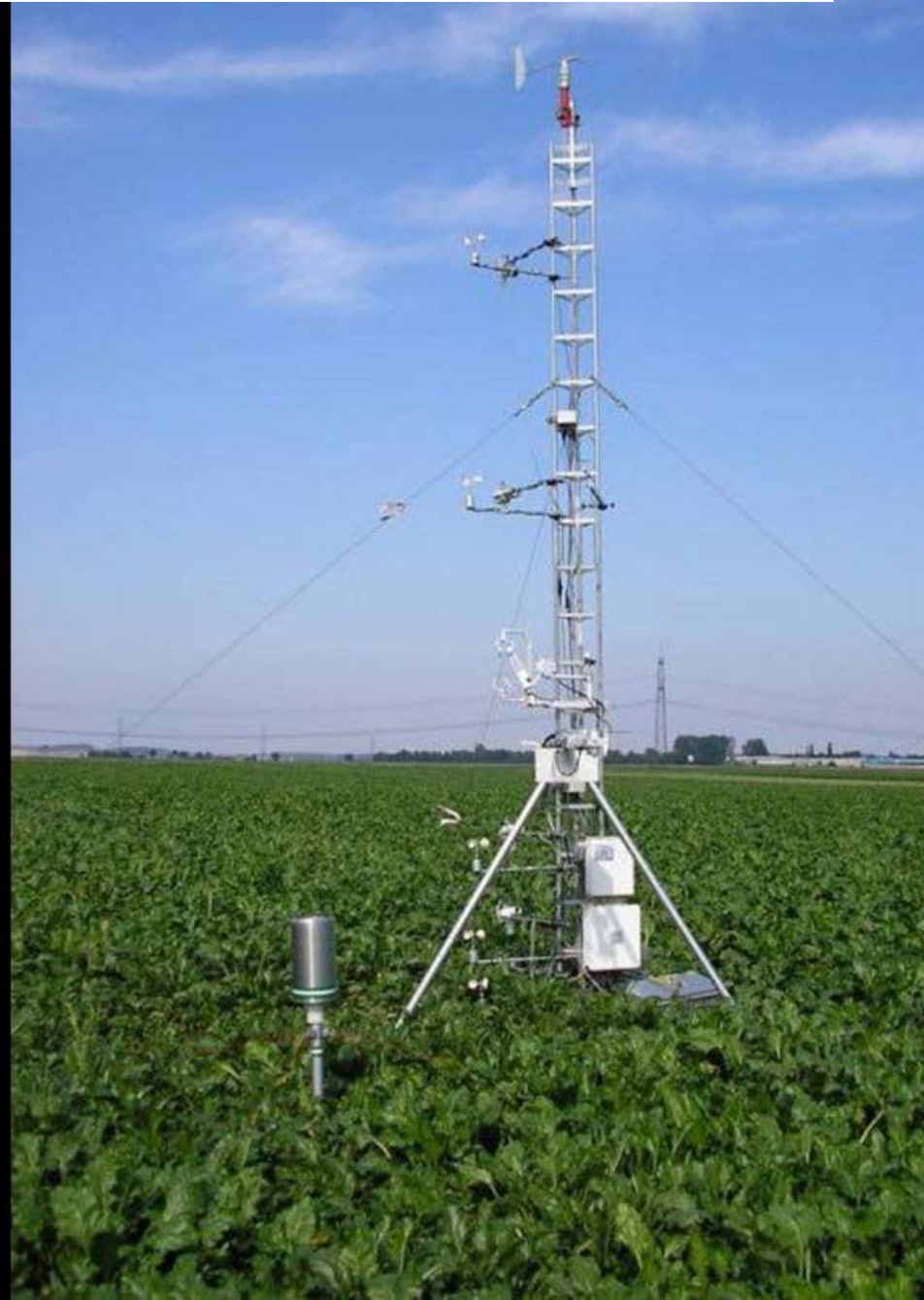


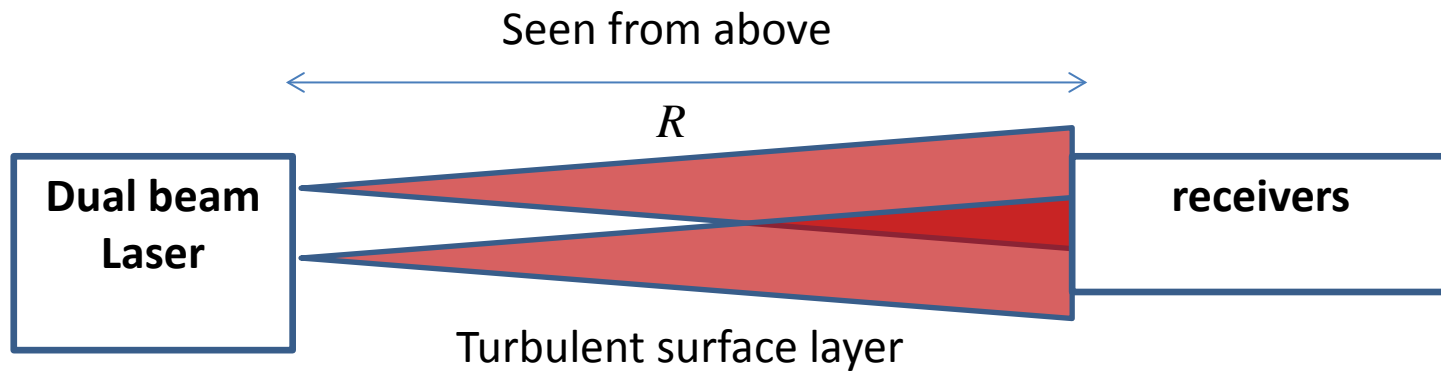
Measure the Myth

Avoid Parrotism

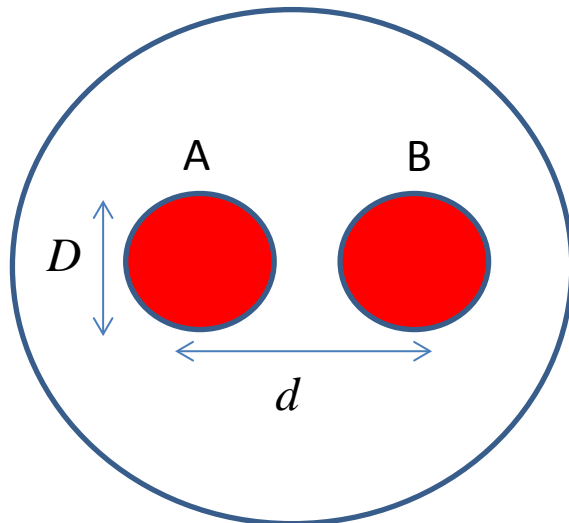
Science is not democratic

A laserscintillometer to measure 1-min fluxes of CO_2 and H_2O

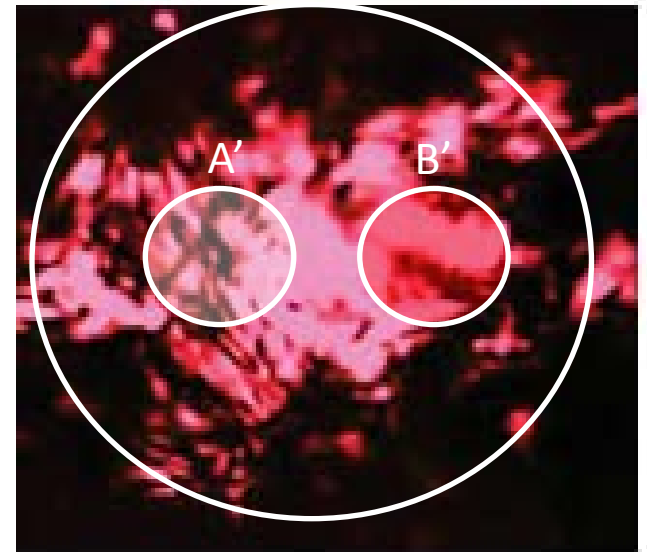




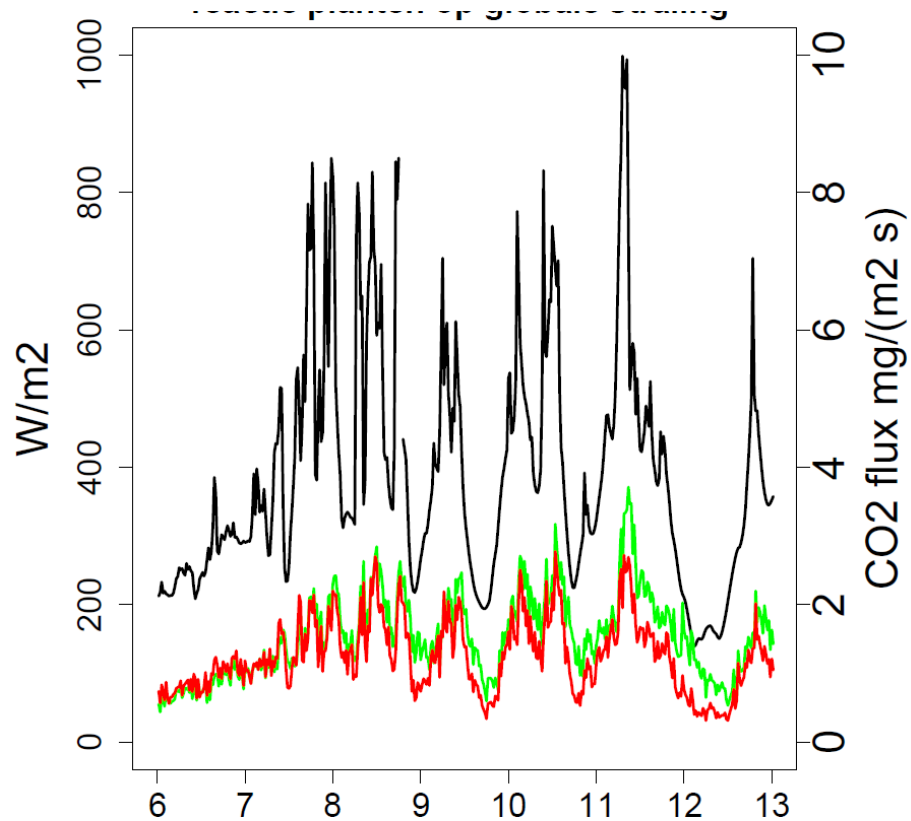
Light intensity at transmitter apertures



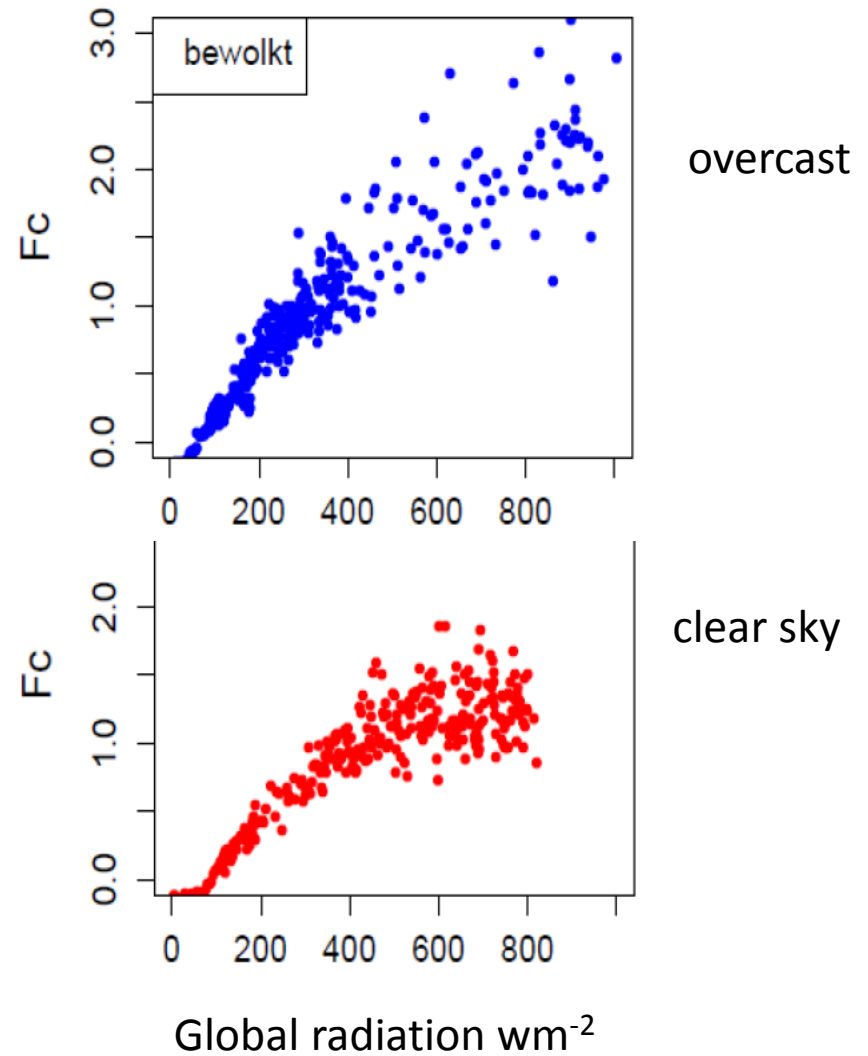
Light intensity at receiver apertures



A laserscintillometer to measure 1-min fluxes of CO₂ and H₂O

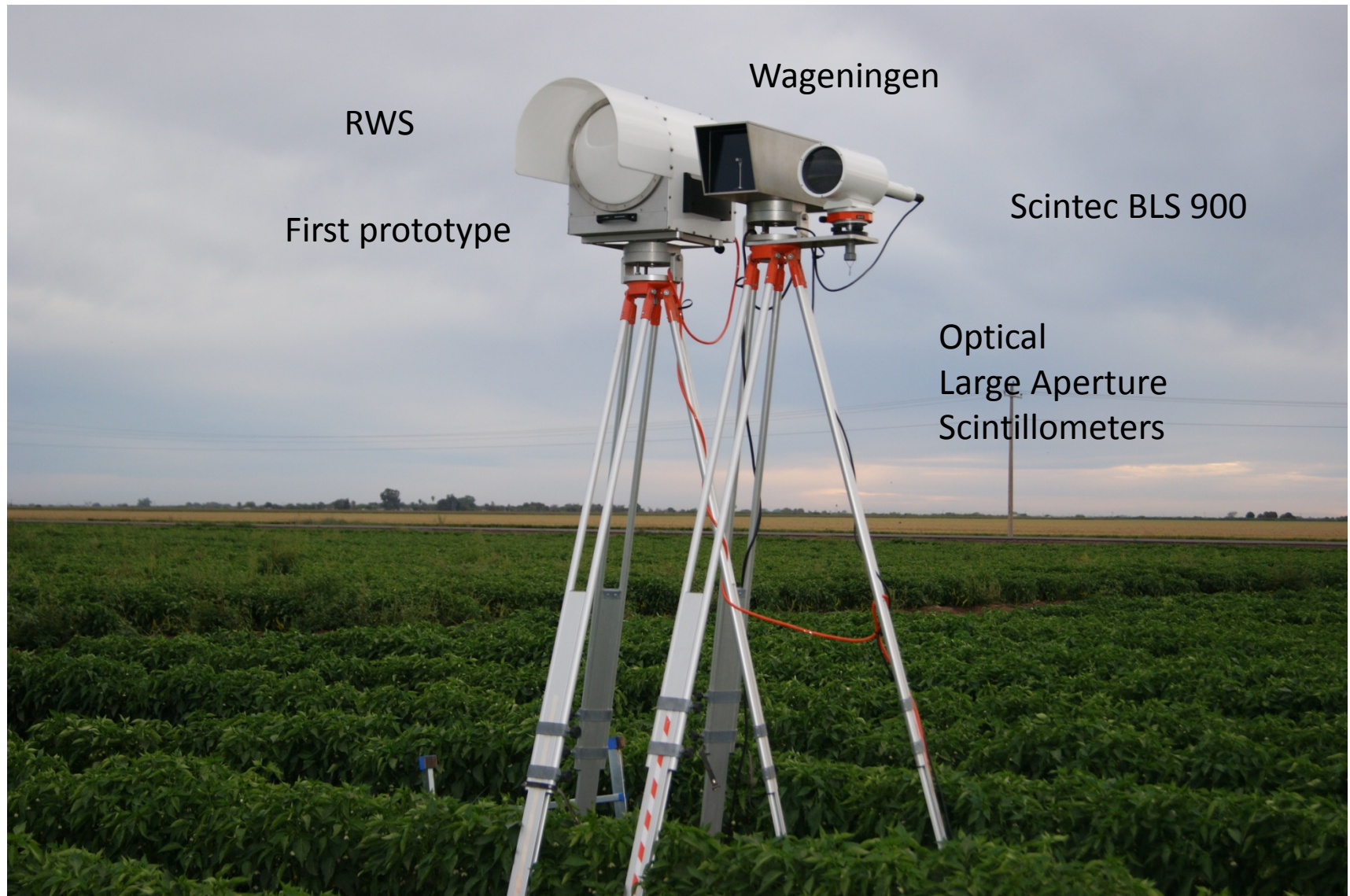


1-min fluxes of H₂O (green) and CO₂ (red)
And global radiation (black)



Measured response-curve for wheat

Challenge for young hydrologists:
test novel 166 GHz Radio-wave scintillometer combined with an optical scintillometer
Allows measurements of evaporation at scales of kilometers





John Dalton(1802)

Vertical transfer in surface layer

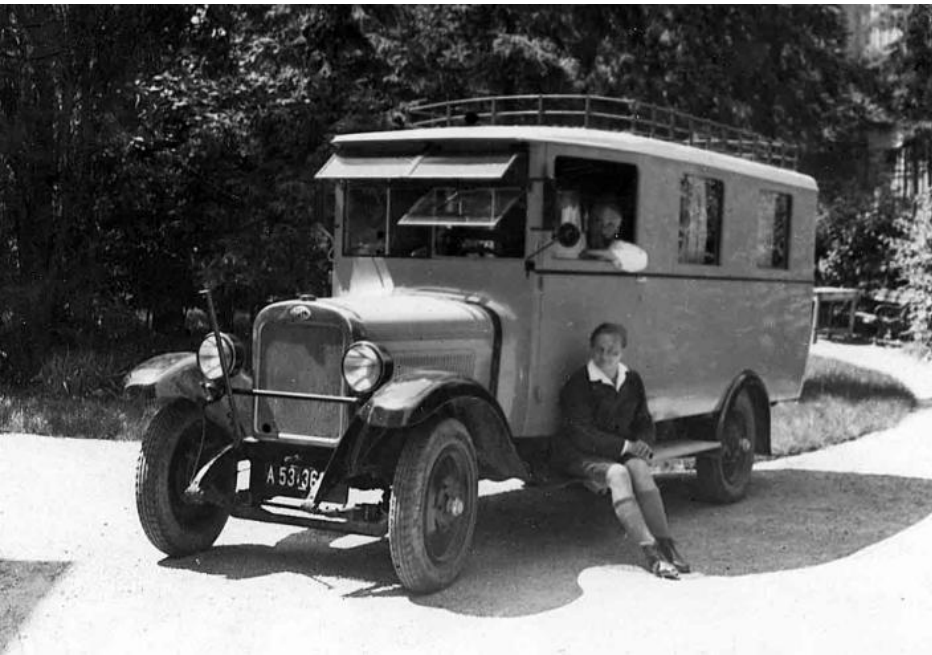
$$E = f(u) [e_s(T_s) - e_a]$$

Evaporation is driven by **wind** and **atmospheric ‘demand’**

Modern approach: **Monin-Obukhov similarity theory (MOST):**

$f(u)$ depends on stability, and thus on

$(T_{surface} - T_{air})$ and u_2 and roughness lengths for water vapor and sensible heat



Wilhelm Schmidt (1915) evaporation oceans

$$A = \text{available energy} \quad s(T) = \left(\frac{de_s}{dT} \right)_T$$

$$\lambda E = \frac{s(T)}{s(T) + \gamma} A + \text{cor}$$

$$\lambda \approx 2.5 \cdot 10^6 \text{ J / kg}$$

$$\gamma = \text{psych.const.}$$

Physical picture: when water supply is not limited
Evaporation is driven by thermodynamics, i.e.
available energy and **temperature**

Cabauw, well-watered grass without advection

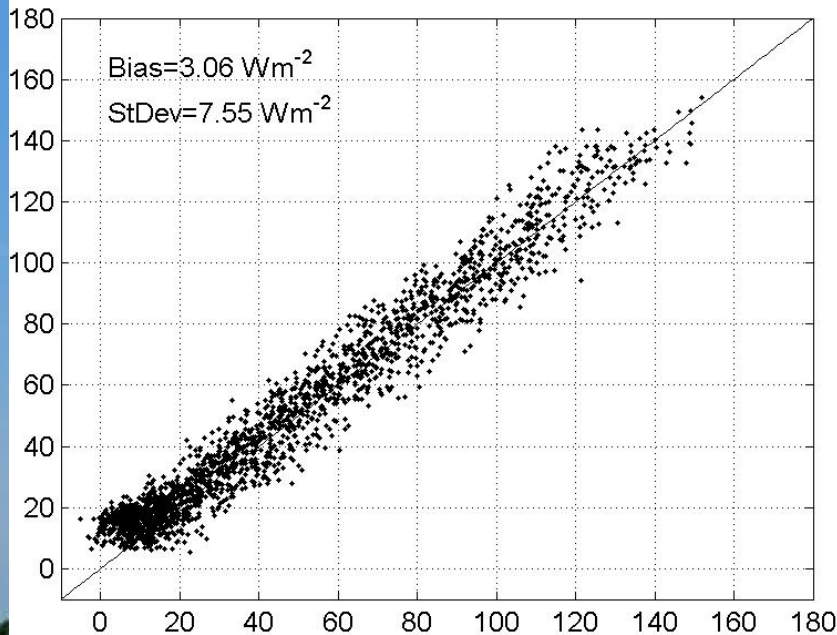
De Bruin, Bosveld, Meirink and Trigo, 2015 (under review)

Schmidt-based estimate of daily latent heat flux
using MSG derived global radiation and air temperature

$$\lambda E = \frac{s(T)}{s(T) + \gamma} A + \beta$$

Cabauw 2007-2012

Estimated Wm^{-2}



Measured with EC –EB method Wm^{-2})

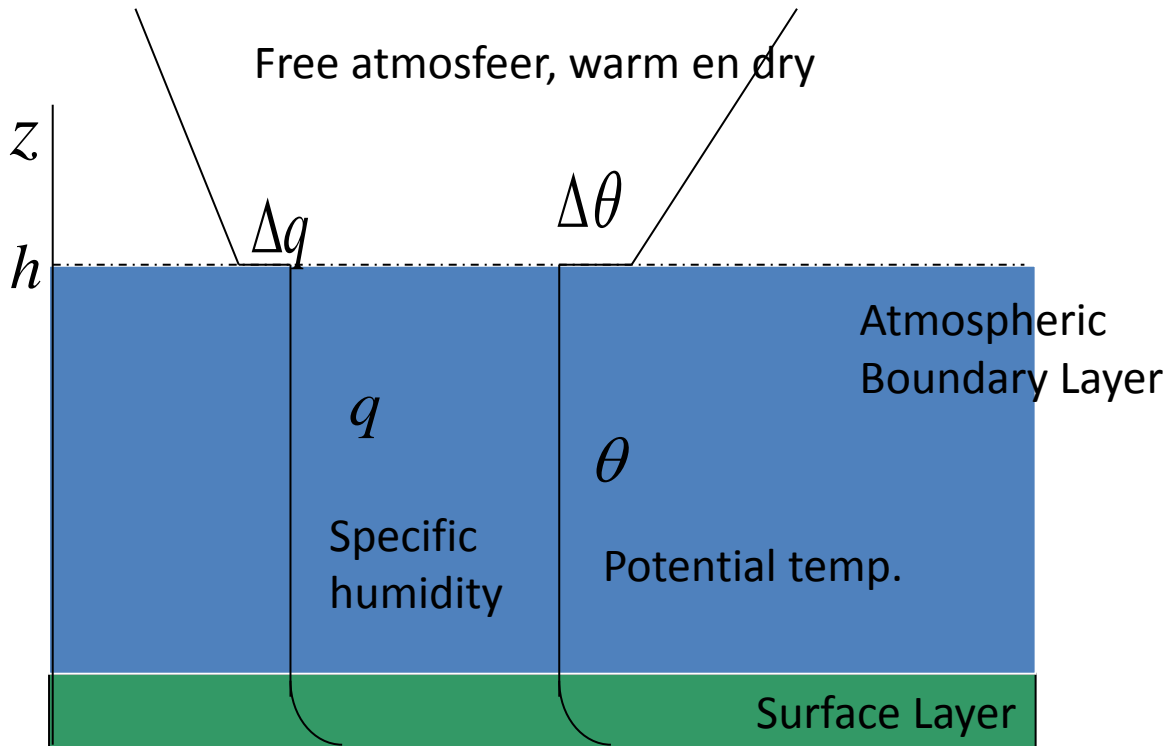
Confirmation of Schmidt's picture:
If water supply is not limited
available energy and air temperature
determine latent heat flux:

For very large fields (no advection)
Global radiation is main external
energy source.

Allowing remotely sensed estimates

Did not change since 1976

Schematic picture well-mixed atmospheric boundary layer (daytime)



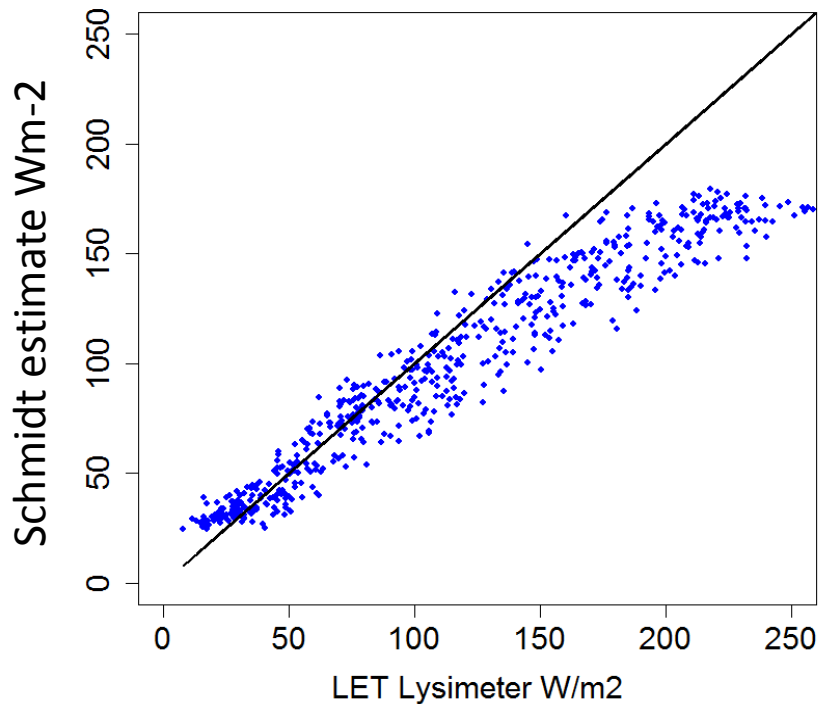
After sunrise ABL growth
and at the top
warm, dry air is entrained
Into the ABL
This explains why relative
humidity is never 100%
Over well-watered
Surfaces
This explains why

$$\beta > 0$$

IFAPA Lysimeter and RIA site, Cordoba



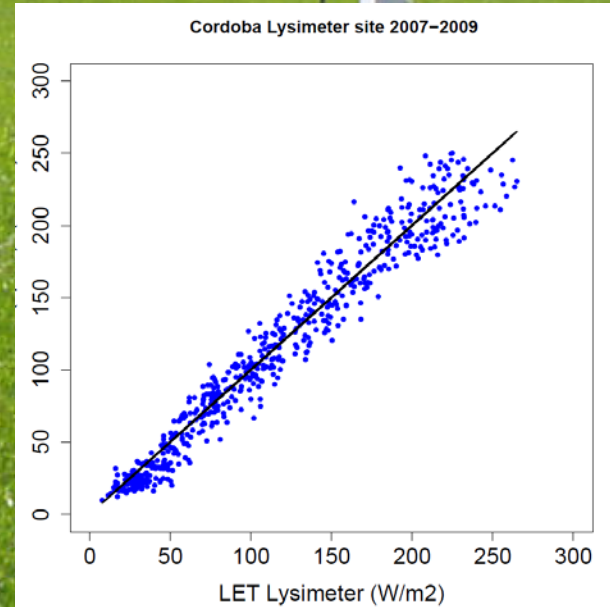
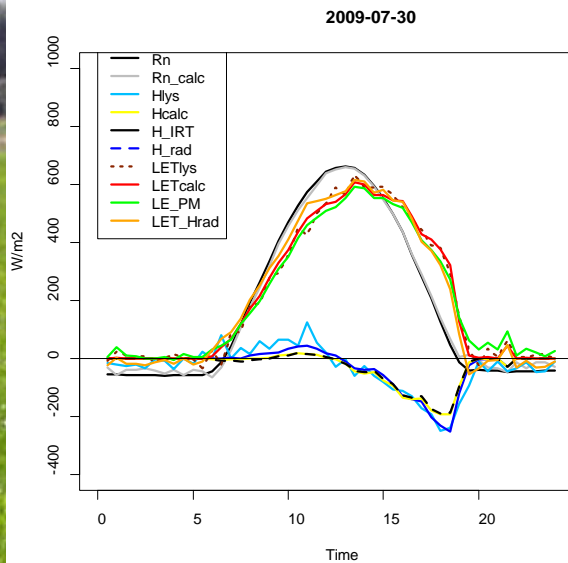
Cordoba Lysimeter site 2007-2009



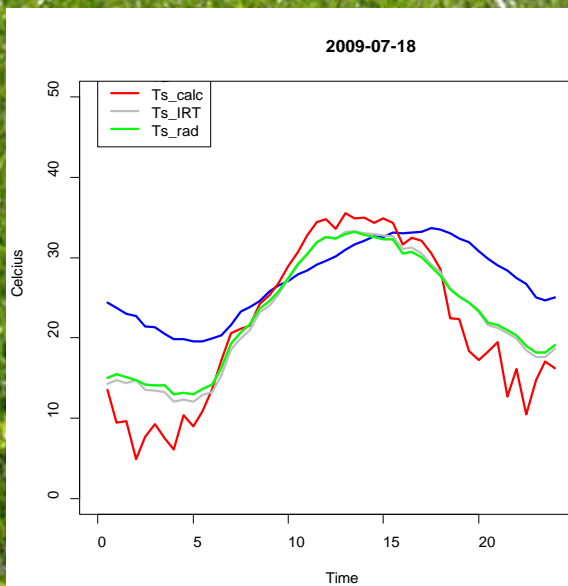
Now besides global radiation
horizontally advected sensible heat
is additional energy source

Typical advective day

Revised Schmidt-model with advection

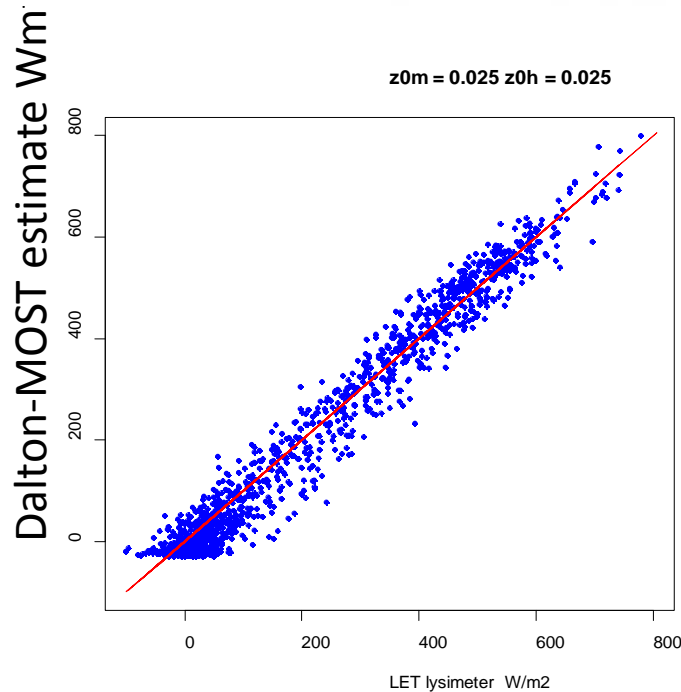


Surface and air temperature



Using MSG global radiation and
Air temperature only!

We proudly present a new method to measure actual ET from CNR 4 net radiometer



Very sensitive to roughness lengths!

Step 1

$$T_s = \left[\frac{L^\uparrow - (1 - \varepsilon_s)L^\downarrow}{\varepsilon_s \sigma} \right]^{\frac{1}{4}} - 273.15$$

Step 2

$$H = \rho c_p \frac{[T_s - T_a]}{r_a(T_s - T_a, u_2; z_{0m}, z_{0h})}$$

Step 3

$$\lambda E = a R_{net} - H_{MOST}$$

Constant

$a = 0.9$ at day-time

$a = 0.5$ at night-time

Dalton - Monin-Obukhov